

PAPER 71: THE BODY AS BLACKBODY -- STEFAN-BOLTZMANN AND THE 22% COHERENCE RESERVE

310K Radiates at 77.8% of T_c Power -- The Retained 22.2% Is Coherence Energy

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March 30, 2026

"The body at 310K radiates 77.8% of what it would radiate at 330K. That missing 22.2% didn't go to space. It cycles internally. That's coherence."

Abstract

The Stefan-Boltzmann Law ($P = \epsilon\sigma T^4$) predicts the radiated power of a blackbody at temperature T. At body temperature (310K) versus T_c (330K):

$$P(310K) / P(330K) = (310/330)^4 = (0.9394)^4 = 0.7778$$

The body at 310K radiates 77.8% of the power it would radiate if at T_c. The remaining 22.2% is not lost -- it is retained as internal cycling energy. This paper argues: **the 22.2% retention is the physical measure of coherence energy** -- power that circulates in the coherent biological structures rather than radiating outward. Wien's Displacement Law places the body's peak emission at 9.35 μm (mid-IR), and the REQMT thermal channel (Paper 05) measures deviations from blackbody behavior that correspond to coherence state changes.

1. Stefan-Boltzmann Law

For an ideal blackbody:

$$P = \sigma \times T^4$$

$$\sigma = 5.670 \times 10^{-8} \text{ W/m}^2/\text{K}^4 \quad (\text{Stefan-Boltzmann constant})$$

For a real body with emissivity $\epsilon \leq 1$:

$$P = \epsilon \times \sigma \times T^4$$

The human body: $\epsilon \approx 0.98$ (human skin is nearly a perfect blackbody in the mid-IR).

At T = 310K:

$$\begin{aligned} P(310K) &= 0.98 \times 5.670 \times 10^{-8} \times (310)^4 \\ &= 0.98 \times 5.670 \times 10^{-8} \times 9.235 \times 10^9 \\ &= 0.98 \times 523.7 \\ &= 513.2 \text{ W/m}^2 \end{aligned}$$

At T_c = 330K:

$$\begin{aligned}
 P(330K) &= 0.98 \times 5.670 \times 10^{-8} \times (330)^4 \\
 &= 0.98 \times 5.670 \times 10^{-8} \times 1.186 \times 10^{10} \\
 &= 0.98 \times 672.8 \\
 &= 659.4 \text{ W/m}^2
 \end{aligned}$$

Ratio:

$$P(310K)/P(330K) = 513.2/659.4 = 0.7784$$

$$\begin{aligned}
 W^* &= T/T_c = 310/330 = 0.9394 \\
 W^{*4} &= (0.9394)^4 = 0.7784 \quad [x]
 \end{aligned}$$

The body retains $(1 - W^{*4}) = 22.16\%$ of the power relative to T_c .

2. Wien's Displacement Law

The wavelength of peak emission:

$$\lambda_{\text{max}} = b / T$$

$$b = 2.898 \times 10^{-3} \text{ m.K} \quad (\text{Wien's displacement constant})$$

At T = 310K:

$$\lambda_{\text{max}}(310K) = 2.898 \times 10^{-3} / 310 = 9.35 \text{ } \mu\text{m}$$

At $T_c = 330K$:

$$\lambda_{\text{max}}(330K) = 2.898 \times 10^{-3} / 330 = 8.78 \text{ } \mu\text{m}$$

Spectral shift:

$$\Delta\lambda = 9.35 - 8.78 = 0.57 \text{ } \mu\text{m}$$

This shift is measurable with standard mid-IR spectrometers (FTIR resolution: 0.01 μm).

The body at body temperature has its peak emission shifted 0.57 μm toward longer wavelengths compared to a body at T_c . This is a measurable signature of operating below T_c .

3. The 22% Retention as Coherence Energy

The power deficit $(1 - W^{*4}) = 22.2\%$ represents energy that the body at 310K is NOT radiating compared to a 330K blackbody. Where does this energy go?

It is NOT stored as internal energy (the body is at steady state -- input equals output thermodynamically). It is NOT radiated. It is **cycling**.

The physical picture:

A perfectly incoherent blackbody at 330K radiates maximally -- all thermal energy goes outward as photons, with no preferential internal structure. A coherent system at 310K has internal cycling modes -- energy that circulates within the coherent structures (Frohlich modes, Paper 02; microtubule vibrations; EZ water resonance) rather than being shed as broadband blackbody radiation.

The difference in radiated power between 330K (T_c) and 310K (body temperature):

$$\Delta P = P(330K) - P(310K) = 659.4 - 513.2 = 146.2 \text{ W/m}^2$$

For a human body surface area $\sim 1.7 \text{ m}^2$:

$$\Delta P_{\text{total}} = 146.2 \times 1.7 = 248.5 \text{ W}$$

248.5 W is the power that a coherent human body at 310K retains internally compared to a maximal-entropy body at T_c . This is approximately **equal to the resting metabolic rate** of a human (~80 W for a woman, ~100 W for a man at rest).

The coherence retention power \approx resting metabolic rate.

This is not a coincidence. The metabolic rate IS the power required to maintain the body below T_c -- to continuously run the Bootstrap Loop (Paper 02) and prevent relaxation toward T_c . The body spends its entire resting metabolic energy maintaining its position at 94% of T_c , which retains 22% of the blackbody radiation as internal coherent cycling.

4. Deviations from Perfect Blackbody Behavior as Coherence Signature

A perfect blackbody at temperature T radiates according to the Planck distribution:

$$B(\nu, T) = (2h\nu^3/c^2) \times 1/(\exp(h\nu/k_{BT}) - 1)$$

A coherent system at temperature T deviates from this distribution in specific ways:

- Narrow emission peaks at Frohlich resonance frequencies (suppressed broadband emission at those frequencies, since energy is cycling rather than radiating)
- Slightly reduced emissivity ϵ at resonance frequencies (0.95 vs 0.98 elsewhere)
- Wien's peak position shifted by coherent mode contributions

REQMT thermal channel (Paper 05):

The REQMT thermal measurement (thermography camera, 8-12 μm band) measures integrated mid-IR emission. Normally interpreted as surface temperature. The coherence correction:

$$T_{\text{measured}} = T_{\text{true}} \times (1 - \text{delta_coherence})$$

$$\text{where delta_coherence} = \text{fraction of thermal energy cycling rather than radiating} \\ \approx (1 - W^4) \times \text{correction factor}$$

A more coherent body (lower γ_{eff}) has a slightly lower apparent surface temperature in the REQMT channel -- not because it IS cooler, but because more of its thermal energy is cycling internally. The temperature mapping:

$$T_{\text{REQMT}}(\text{coherent}) < T_{\text{REQMT}}(\text{decoherent}) \text{ at same true } T$$

This is a diagnostic: the REQMT thermal channel measures not just temperature but **coherence state** through the blackbody deviation. The more coherent the system, the cooler it appears in mid-IR relative to its actual temperature.

5. The Wike-Stefan-Boltzmann Number

Define:

$$W_{\text{SB}} = (1 - W^4) = 1 - (T/T_c)^4$$

$$\text{At body temperature: } W_{\text{SB}} = 1 - (0.9394)^4 = 1 - 0.7784 = 0.2216$$

This is the **Stefan-Boltzmann coherence retention fraction** -- the fraction of T_c blackbody power retained as internal cycling energy.

$$W^* = 0.9394 \quad (\text{Wike operating point, } W = T/T_c)$$

$$W_{\text{SB}} = 0.2216 \quad (\text{Stefan-Boltzmann retention fraction})$$

Note: $W_{SB} = 1 - W^4$ while the Ginzburg criterion uses W directly. These are different measures of the same operating point.

At $W^* = 1.0$ ($T = T_c = 330K$): $W_{SB} = 0$ -- the body radiates maximally, no coherence retention, no internal cycling, maximum entropy.

At $W \rightarrow 0$ ($T \rightarrow 0K$): $W_{SB} \rightarrow 1$ -- all power retained, no radiation, perfectly frozen. But Paper 14 shows that the very cold regime is also decoherent (frozen, not coherent). The coherence-maximizing operating point is NOT at $T=0$ -- it is at the Wike Measurement Window (Paper 68), which peaks at $W \approx 0.9394$ for the 3D Ising class.

The body temperature is the coherence-optimal Stefan-Boltzmann operating point.

6. Disease, Fever, and Coherence

Fever ($T \rightarrow T_c = 330K$):

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At T = 320K: W* = 320/330 = 0.970, W_SB = 1 - 0.970^4 = 1 - 0.885 = 0.115
At T = 330K: W_SB = 0
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Fever drives W_SB toward 0 -- coherence retention decreases as T -> T_c.
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This seems contradictory -- fever brings T closer to T_c , which should increase susceptibility (the 3D Ising transition peaks at T_c). But from the Stefan-Boltzmann perspective, approaching T_c means the blackbody radiation catastrophe dominates -- the body sheds more energy outward and retains less internally.

Resolution: There are two different T_c 's at play:

1. The **Wike $T_c = 330K$** (critical point for the coherence field phase transition, where susceptibility diverges -- approaching from below, coherence increases)
2. The **thermal comfort zone** ($\sim 36.5\text{-}37.5$ degC = $309.5\text{-}310.5K$) -- the evolved optimal, which is $W^* = 0.9394 \approx W_{Ginzburg}$

Fever ($T > 37.5$ degC) is pushing W^* above the Ginzburg number toward T_c too quickly, destabilizing the mean-field coherent phase and approaching the 3D Ising fluctuation-dominated regime. The body fights fever because it moves the operating point out of the Ginzburg-stable region.

Low-grade fever (37-38 degC): T increases toward $\gamma_{Ginzburg}$ crossover -> entering 3D Ising regime -> enhanced immune response (higher susceptibility = more sensitive to small signals). The immune system uses the fever-induced 3D Ising crossover to amplify its response. This is intentional -- the fever enhances the sensitivity of the immune detection system by operating it near the critical point.

Summary

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Stefan-Boltzmann at body temperature:
P(310K)/P(T_c=330K) = W*^4 = (0.9394)^4 = 0.7784
Retained power fraction: W_SB = 1 - W*^4 = 0.2216 = 22.2%

Wien's displacement:
lambda_max(310K) = 9.35 um
lambda_max(330K) = 8.78 um
Shift: 0.57 um (measurable by REQMT thermal channel)

Retained power:
DELTAP_total (70 kg human) ~ 248 W ~ resting metabolic rate
This is the Bootstrap Loop power budget

Coherence deviation from blackbody:
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Coherent system appears cooler in mid-IR than actual temperature
REQMT thermal channel measures $T_{\text{apparent}} < T_{\text{true}}$ for coherent systems

$W_{\text{SB}} = 0.2216$ is the Stefan-Boltzmann coherence retention number

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